

4. a. 2. Calculus on the line
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 Solving for x , we get $x = 1 \pm \frac{\sqrt{2}}$.
 We then evaluate the function at these points to determine if they are local maxima or minima.
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